

SAKHNO, A.

Calculation of cost in sausage production. Mias.ind.SSSR 27 no.3:
33-35 '56. (MIRA 9:9)

1. Restovskiy-na-Donu myasekombinat.
(Sausages) (Meat industry--Accounting)

S/073/62/028/002/001/006
B101/B110

AUTHORS: Zharovskiy, F. G., Sakhno, A. G.

TITLE: Distribution of molybdenum and tungsten in the system
hydrobromic acid - organic solvent

PERIODICAL: Ukrainskiy khimicheskii zhurnal, v. 28, no. 2, 1962, 145-150

TEXT: A study was made of the distribution of Mo and W (as sodium molybdate and sodium tungstate, respectively) between an aqueous solution of HBr and oxygen-containing solvents: isoamyl acetate, isobutanol, butanol, isoamyl alcohol, diethyl ether, n-amyl alcohol, isobutyl acetate, and propyl acetate. After mixing the HBr solution containing a known quantity of W or Mo with the organic solvent, the content of W or Mo in the aqueous phase was determined colorimetrically, and the quantity of W or Mo gone over into the organic phase was calculated from the difference. The result was: (1) 10 ml of 1.0, 2.0, 3.0, 4.0, 5.0, and 6.0 N HBr hold 0.88, 0.57, 0.44, 0.33, 0.29, and 0.26 mg of W, respectively, in solution. At higher tungsten concentrations tungstic acid is precipitated. (2) 95-70% of W is extracted from 0.1-0.5 N HBr. Accordingly, the degree of extraction decreases with

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Distribution of molybdenum ...

S/073/62/028/002/001/006
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increasing acidity. (3) With increasing acidity, the degree of extraction of Mo increases, 86-97% of Mo is extracted from 5-6 N HBr. (4) This dependence of the degree of extraction on the acidity is not influenced by the kind of organic solvent. (5) As regards their capability of extracting W from 1 N HBr, organic solvents can be arranged as follows: isoamyl acetate < isobutanol < butanol < isoamyl alcohol < diethyl ether < n-amyl alcohol < isobutyl acetate < propyl acetate. For Mo with equal acidity the following sequence is obtained: diethyl ether < isobutyl acetate < propyl acetate < isoamyl acetate < isoamyl alcohol < n-amyl alcohol < isobutanol < butanol. With W the extractive capacity of esters increases with their dielectric constant, while the extractive capacity of alcohols decreases with increasing dielectric constant. No such rule was found with Mo. (7) The solvents used do not allow a quantitative separation of Mo from W, but permit enrichment in these metals. (8) The complex of Mo (or W) extracted with isoamyl acetate has a molar ratio of M:Br = 1:2 (M = Mo or W). The existence of the complex acids $H_2[WO_3Br_2]$ and $H_2[MoO_3Br_2]$ is assumed. There are 9 tables. The two most important English-language references are: G. Morrison, Anal. Chem., 11, 1388 (1950); Y. G. Nelidow, R. H. Diamond, The Journal of Physical Chemistry, 59, 711 (1955).

Card 2/3

Distribution of molybdenum ...

S/073/62/028/002/001/006
B101/B110

ASSOCIATION: Kiyevskiy gosudarstvennyy universitet im. T. G. Shevchenko
(Kiyev State University imeni T. G. Shevchenko)

SUBMITTED: September 30, 1960

Card 3/3

OSINTSEVA, K.V., inzh.; SAKHNO, A.P., inzh.

Shearing strength of soft overburden rocks in the central section
of the Rozdol sulfur pit. Nauch.zap.Ukrniiproekta no.5:37-47
'61. (MIRA 15:7)
(Rozdol region--Strip mining) (Shear (Mechanics))

SARKIS, E. M., SIMONWITCH, E. M.

"Materials on the epidemiology of infectious hemorrhagic nephroso-nephritis in the steppe focus." p. 121

Desyatoye soobshcheniye po parazitologicheskim problemam i prirodnoochagovym bolezniam. 22-29 Oktjabrya 1959 g. (Tenth Conference on Parasitological Problems and Diseases with Natural Foci 22-29 October 1959), Moscow-Leningrad, 1959, Academy of Medical Science USSR and Academy of USSR, No. 1, 25 pp.

DURASOV, A.S., kand.tekhn.nauk; KRYLOV, N.A., kand.tekhn.nauk;
BYSTRYAKOV, V.Ya., inzh.; YEGOROV, N.I., inzh.; SAKHNO, G.I.,
inzh.

Mobile electronic acoustical and radiometric laboratory.
Biul.tekh.inform. po stroi. 5 no.11:14-16 N '59.
(MIRA 13:4)

(Building materials--Testing) (Radiometer)
(Electronic instruments)

SAKHNO, I. I.

"Marmota Bobak Mull's Food Habits," Priroda, No. 2, 1949.

SAKHNO, I. I.

"Results of the Acclimatization of Raccoon-like Dogs in the Donbas," Priroda, No. 4, 1948.

SAKHNO, I.I.

Materials on the study of feed composition of some murine rodents
[with summary in English]. Zool. zhur. 36 no.7:1084-1092 J1 '57.
(MLBA 10:9)

1. Voroshilovgradskiy pedagogicheskiy institut.
(Uspenka District--Mice)
(Animals, Food habits of)
(Rodent control)

SAKHNO, I.I.

Effect of agricultural practices on the sex ratio and fecundity
in some murine rodents occurring in fields of Lugansk Province.
Zool.zhur. 38 no.12:1856-1868 D '59. (MIRA 13:5)

1. Lugansk Pedagogical Institute.
(Lugansk Province--Rodentia)

SAKHNO, I.I.

Effect of stage harvesting headed grain crops on murine
rodents. Zool. zhur. 42 no.6:954-956 '63. (MIRA 16:7)

1. Pedagogical Institute of Lugansk.
(Mice) (Harvesting)

PA - 3629

AUTHOR: SAKHNO, I.S.
 TITLE: The Flying not Backed-off One-Tooth Worm Cutter.
 (Odnouzubaya nezatylovannaya chervyachnaya freza-letuchka, Russian)
 PERIODICAL: Stanki i Instrument, 1957, Vol 28, Nr 6, pp 37 - 37 (U.S.S.R.)
 ABSTRACT: Worm gears are usually milled by means of worm cutters or flying steel blades. As it is uneconomical to manufacture a worm cutter for one or several worm gears, flying steel blades are often used, which, however, are liable to wear more quickly, are not as durable, lose their profile, and are more complicated to adjust. At the machine factory of Rostov a flying not backed-off worm cutter is being used, which can be made on a screw cutting lathe. It is characterized by the fact that it need not be backed off and can be repeatedly re-ground without losing its tooth profile. This milling cutter is produced in several parts as is shown by illustrations 1 and 2, which are accompanied by a detailed description. This method of milling can be employed also in the case of cylindrical, bevelled, and other types of toothing etc.
 ASSOCIATION: Not given
 PRESENTED BY:
 SUBMITTED:
 AVAILABLE: Library of Congress
 Card 1/1

SHEVCHUK, I.A.; TSELINSKIY, Yu.K.; SAKHNO, L.I.

Extraction of microimpurities of metals by amines. Report No.1:
Calculation of the concentration of halide ions required for the
extraction of metals using instability constants. Extraction of
zinc. Trudy IREA no.25:408-414 '63.

(MIRA 18:6)

SAKHNO, M.F.

Streptomycin in listerellosis of swine. Veterinariia 37 no.12:
58 D '60. (MIRA 15:4)

1. Glavnyy veterinarnyy vrach svynosovkhoza "Kommunar", Stavropol'-
skogo kraya.
(Streptomycin) (Listerellosis) (Swine--Diseases and pests)

SAKHNO, N. G.

AUTHOR: Goncharevich, I. F. SOV/24-58-11-42/42
TITLE: Scientific Coordination Conference of Vibration Actuated Machinery for the Mining Industry (Nauchno-koordinatsionnoye soveshchaniye po vibratsionnym mashinam dlya gornoy promyshlennosti)
PERIODICAL: Izvestiya Akademii Nauk SSSR, Otdeleniye Tekhnicheskikh Nauk, 1958, Nr 11, p.152 (USSR)
ABSTRACT: The Mining Institute, Ac.Sc. USSR held a coordination conference on problems of design and testing of vibration type machinery for the mining industry on July 9 to July 10, 1958 (the first conference on vibration conveyors took place on April 8-10, 1957). Representatives of about thirty research establishments, design organisations, works and undertakings and teaching establishments participated. The conference dealt with sub-dividing the subjects of investigation between the individual organisations working in the field of vibration transportation, the more important scientific problems to be solved were outlined and the fundamental technical measures on developing vibration type conveyors were reported on. In his opening address, Corresponding

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SOV/24-58-11-42/42

Scientific Coordination Conference of Vibration Actuated Machinery for the Mining Industry

Member of the Ac.Sc. A. O. Spivakovskiy reviewed available data in this field and dealt briefly with the basic type, the 2-trough system with an eccentric drive and also with the required types of vibrators for operating such conveyor systems. Ten papers were read. I. F. Goncharevich, Institute of Mining, Ac.Sc. USSR, dealt with the classification and the structural schemes of vibration transportation machinery. N. G. Sakhno dealt with experiments on utilisation of electronic analogues for calculating vibration type conveyors.

V. I. Bartoshevich (Novocherkassk Polytechnical Institute) reported on experience gained in designing and operation of electro-vibration conveyors; Ye. U. Zharikov (same Institute) reported on calculating the mechanical part of electro-vibration machinery and N. P. Zhuchkov (same Institute) reported on theoretical determination of optimum parameters of operation of vibration type conveyors.

Card2/4 V. S. Bondarev reported on experience in designing

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Machinery for the Mining Industry

2-trough vibration conveyors in the VNIITsvetmet
Institute; V. S. Tikhonov reported on results obtained
with experimental 2-tube vibration conveyors at the
imeni Parkhomenko Works.

V. K. D'yachkov (VNIITMash) reported on the technique
of testing vibration type conveyors.

V. D. Soroko (Gipronikel') reported on work of the
Institute in the field of building vibration loading
machinery.

The following technical and organisational measures were
recommended:

1. Mastering of the manufacture of thin wall tubes,
troughs of special profiles, vibration resistant rubber
and rubber-metallic components, rolling bearings which
can withstand vibration loading.

2. Development and organisation of the manufacture of
normal series of motor-vibrators, electromagnetic and
pneumatic vibrators.

3. Building of a central test stand for investigating
and setting of vibration conveyors.

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Scientific Coordination Conference of Vibration Actuated
Machinery for the Mining Industry

4. Organisation of the publication of literature
relating to the theory, calculation and design of
vibration machinery.

(Note: This is a complete translation)

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USCOMM-DC-60396

SPIVAKOVSKIY, Aleksandr Onisimovich; GONCHAREVICH, Igor' Fomich. Prinimali uchastiye: Bronin, A.G., inzh.; KOVAL', V.T., inzh.; SAKHNO, N.G., inzh.. KHODAKOV, I.K., red.izd-va; SHKLYAR, S.Ya., tekhn.red.

[Vibratory mine haulage machinery; foreign practices] Gornotransportnye vibratsionnye mashiny; zarubezhnyi opyt. Moskva, Ugletekhizdat, 1959. 219 p. (MIRA 12:10)
(Mine haulage)

SAKHNO N.G.

GONCHAREVICH, Igor' Pomich, kand.tekhn.nauk; STREL'NIKOV, Leonid Pavlovich, kand.tekhn.nauk. Prinipal uchastiye SAKHNO, N.G., gornyy inzh.. TERPIGOREV, A.M., akademik, retsenzent; KHAZHINSKIY, Yu.N., kand.tekhn.nauk, retsenzent; SPIVAKOVSKIY, A.O., red.; YEVNEVICH, A.V., dotsent, kand.tekhn.nauk, red.; SMOLDYREV, A.Ye., red.; ISLENT'YEVA, P.G., tekhn.red.

[Electric vibrating conveying machinery] Elektrovratsionnaya transportnaya tekhnika. Pod red. A.O.Spivakovskogo i A.V. Evnevicha. Moskva, Gos.nauchno-tekhn.izd-vo lit-ry po gornomu delu, 1959. 261 p. (MIRA 13:2)

1. Chlen-korrespondent AN SSSR (for Spivakovskiy).
(Conveying machinery) (Vibrators)

SAKHNO, N.G., inzh; SPIVAKOVSKIY, A.O., prof.

Electronic modeling of vibrating conveyers. Nauch. dokl. vys.
shkoly; gor. delo no.1:167-172 '59. (MIRA 12:5)

1.Chlen-korrespondent AN SSSR (for Spivakovskiy). Predstavlena
kafedroy rudnichnogo transporta Moskovskogo gornogo instituta
im. I.V. Stalina.

(Conveying machinery--Models)
(Electromechanical analogies)

GONCHAREVICH, I.F., kand.tekhn.nauk; SAKHNO, N.G., inzh.; TRANIN, F.Ye.,
inzh.

Effect of elastic elements of suspension with a nonlinear characteristic on the operation of a vibrating conveyer. Nauch. soob. Inst.
gor. dela 4:97-108 '60. (MIRA 15:1)

(Conveying machinery)

GONCHAREVICH, I.F., kand. tekhn. nauk; SAKHNO, N.G., kand. tekhn. nauk

Some regularities in transporting by vibrating conveyors
with nonsymmetrical characteristics of the elastic couplings.
Nauch. soob. IGD 18:144-150 '63. (MIRA 16:11)

I 20417-66 EWT(1)/EWA(h)

ACC NR: AP6009851

SOURCE CODE: UR/0413/66/000/004/0046/0046

AUTHOR: Melekhin, V. B.; Sakhno, N. G.

ORG: none

TITLE: Variable measuring capacitor, Class 21, No. 178906

SOURCE: Izobreteniya, promyshlennyye obraztsy, tovarnyye znaki,
no. 4, 1966, 46

TOPIC TAGS: capacitor, variable capacitor, measuring capacitor

ABSTRACT: A variable measuring capacitor with two axially mounted electrodes (see figure) is introduced. To ensure the measuring accuracy when the capacitor is used to determine both the dielectric permeability and loss tangent of liquid dielectrics, the inner electrode is demountable and consists of a hollow removable upper section and a solid lower section. The upper section of the outer electrode has an inner diameter larger than that of its lower section. Orig. art. has: 1 figure.

[JR]

Card 1/2

UDC: 621.319.43

L 20417-66

ACC NR: AP6009851

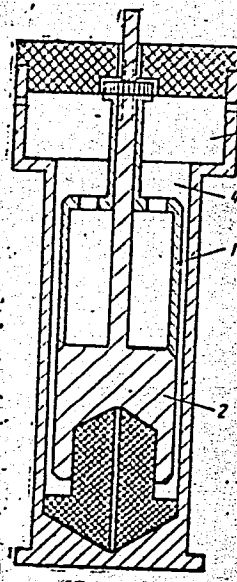


Fig. 1. Variable measuring capacitor

1 - Upper section; 2 - lower section; 3 - upper section of the outer electrode; 4 - lower section of the outer electrode.

SUB CODE: 09/ SUBM DATE: 02Apr65/ ATD PRESS: 4222

Card 2/2

ULP

.SAKHNO, V.

If visits to construction projects become more frequent. Fin.
SSSR 37 no.1:81-83 Ja '63. (MIRA 16:2)

1. Upravlyayushchiy Checheno-Ingushskoy kontoroy Stroybanka.
(Chechen-Ingush A.S.S.R.—Construction industry—Finance)
(Chechen-Ingush A.S.S.R.—Banks and banking)

1. FARDUNOV, L., SAKHNO, V. 6.
2. USSR (600)
4. Malaza Valley - Caves
7. In a karst cave. Vokrug sveta, No. 2, 1953.
9. Monthly List of Russian Accessions, Library of Congress, May 1953. Unclassified.

Sakhno V.G.
USTINOVSKIY, Yu.B.; SAKHNO, V.G.

Brief geological outline of natural occurrences of sorbents in the southern part of the Soviet Far East. Trudy DVFAN SSSR. Ser. khim. no.3:10-40 '58. (MIRA 11:5)

(Soviet Far East--Sorbents)

BYKOV, V.T.; SAKHNO, V.G.; USTINOVSKIY, Yu.B.

Outline of beds of natural sorbents in Amur Province.
Trudy DFIH SSSR. Ser. khim. no.4:5-12 '60. (MIRA 14:10)
(Amur Province—Sorbents)

SAKHNO, V.G.

Origin of ignimbrites and tuff lavas of Cretaceous volcanogenic strata in the southern part of the Far East. Trudy Lab. vulk. no.20:143-150 '61. (MIRA 14:11)

1. Geologicheskiiy institut Dal'nevostochnogo filiala Sibirskogo otdeleniya AN SSSR.

(Far East--Volcanic ash, tuff, etc.)

SAKHNO, V.G.; USTINOVSKIY, Yu.B.

Accumulation, composition, and weathering products of tuffs in
the Tyrma Depression (Khabarovsk Territory). Geol.i geofiz.
4:82-94 '62. (MIRA 15:8)

1. Dal'nevostochnyy filial Sibirskogo otdeleniya AN SSSR,
Vladivostok.

(Tyrma Depression---Volcanic ash, tuff, etc.)

SAKHNO, V.G.; DENISOV, Ye.P.

Origin of the inclusions of ultrabasite rocks in basalts in the southern part of the Far East. Izv. AN SSSR.Ser.geol. 28 no.8:43-55 Ag '63.
(MIRA 17:2)

1. Dal'nevostochnyy geologicheskii institut Sibirskogo otdeleniya AN SSSR, Vladivostok.

SAKUNY, V.A.; STYAGNITSKIY, A.T.

Telefno of Lake Baikal. Izv. vuz. na Dal'. (1st. 19.7)
153-154 163.

1974 18.7

1. Dal'nevostochnyy geologicheskii institut Dal'nevostochnykh
filiala Sibirskogo otdeleniya AN SSSR.

SAKHNO, V.Ye.; ARTYUKH, S.Ye.

Device for the suction of oil vapors. Sbor.rats.predl.vnedr.v
proizv. no.1:8 '61. (MIRA 14:7)

1. Trest "Leninruda", rudoupravleniye "Bol'shevik".
(Lubrication and lubricants--Safety measures)

SAKHNO, Ye.P.

Oilly spurge. Biul.Glav.bot.sada no.19:130 '54. (MLRA 8:2)

1. Botanicheskiy sad Chernovitskogo gosudarstvennogo universiteta.
(Spurge)

SAKHNO, Ye.P.

Industrial excursions in the eighth class. Geog. v shkole 19 no.4:
53-56 J1-Ag '56. (MLRA 9:10)

1.Ust'-Labinskaya shkola Krasnodarskogo kraya.
(School excursions)

SAKHNOV, Yu.

DYATCHIN, N.; SAKHNOV, Yu.

Loading device for handling long-sized freight. Avt. transp.
32 no.10:32-33 0 '54. (MLRA 7:12)
(Loading and unloading)

L 1335-66 EWP(z)/EWT(m)/EWP(b)/I/EWA(d)/EWP(w)/EWP(t) MJW/JD
 ACCESSION NR: AP5022403

UR/0369/65/000/004/0465/0467

AUTHOR: Vyval', I. P.; Romaniv, O. N.; Sakhno, Yu. A.
 55 55

TITLE: Effect of heat and vibration treatment on shear strength and endurance of bits made of R18 steel

SOURCE: Fiziko-khimicheskaya mekhanika materialov, no. 4, 1965, 465-467

TOPIC TAGS: mechanical heat treatment, shear strength, endurance test, steel/ R18 steel

ABSTRACT: R18 steel containing 0.9% C, 18.2% W, 4.1% Cr, 1.1% V, and 0.2% Mo was used in the study. The bits diameter was 9 mm and the drill rod's diameter was 15 mm. The treatment procedure involved heating to 1260°C, cooling in air to 450-600°C, cyclic torsional deformation, and quenching in oil. The treatment equipment was described in the literature (I. V. Vyval' and O. N. Romaniv, *Vliyaniye rabochikh sred na svoystva materialov*, 1964, vyp. 3 [Effect of Operating Media on Properties of Materials, 1964, No. 3]). The shear strength was examined on a vertical drill at a constant feed rate of 0.11 mm/revolution using type-45 steel. The cutting rate varied from 8.2 to 16.1 m/min. Maxima of bit endurance occurred at

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ACCESSION NR: AP5022403

2

$n = 500$ and $\alpha = 2^\circ$ and $n = 300$ and $\alpha = 4^\circ$. Highest steel bit endurance resulted when the treatment was carried out at 450°C . The treatment has no effect on the red hardness of R18 steel. The effect of tempering temperature on bit hardness is shown in fig. 1 of the Enclosure. The microhardness H_v distribution on bit's profile after the shear strength test is shown in fig. 2 of the Enclosure. Orig. art. has: 2 figures, 1 table.

ASSOCIATION: Fiziko-mekhanicheskiy institut AN UkrSSR, Lvov (Physico-mechanical Institute, AN UkrSSR)

SUBMITTED: 06Mar65

ENCL: 02

$v = 12.0 \text{ m/min}$ SUB CODE: MM, IE
Grinding at V...

NO REF SOV: 002

OTHER: 000

0 100 200 300 400 500 600

Distance from the surface, μ meters

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ACCESSION NR: AP5022403

ENCLOSURE: 01

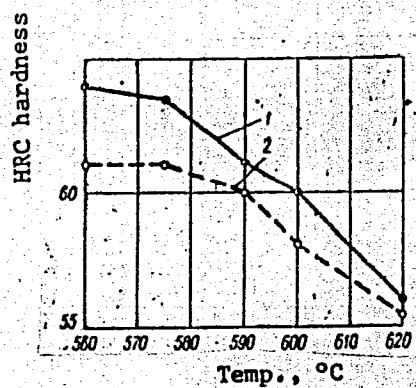


Fig. 1. 1--After treatment ($n = 500$ and $\alpha = 2^\circ$); and 2--After conventional gradual hardening.

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L 1335-66

ACCESSION NR: AP5022403

ENCLOSURE: 02

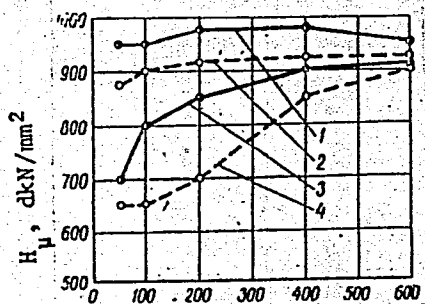


Fig. 2. 1--conventional thermal working at cutting rate $V=8.2$ m/min; 2--heat-vibration working at $V=8.2$ m/min; 3--conventional thermal working at cutting rate $V=12.0$ m/min; 4--heat-vibration working at $V=12.0$ m/min

Card 4/4

ZAYCHENKO, I.Z.; SAKHNO, Yu.A.

Using hydraulic dividing valves in synchronizing the operating
elements of machine tools. Stan. i instr. 36 no.11:16-19 N 165.
(MIRA 18 17)

SERGEYEV, L.I.; DAUKAYEVA, R.S.; SAKHNOV, N.S.

Effect of mineral fertilizers and topdressing on the physiology
and productivity of black currant. Izv. SO AN SSSR no.8. Ser.
biol.-med.nauk no.2:94-98 '65. (MIRA 18:9)

1. Bashkirskiy gosudarstvennyy universitet, Ufa.

SAKHNOVA, Kh.Ye.; KOROBKOVA, G., red.; NEMYTOV, V., tekhn.red.

[The present and the past of the "Tekmash" Plant]
Nastoiashchee i proshloe zavoda "Tekmash." Orel, Orlov-
skoe knizhnoe izd-vo, 1959. 136 p. (MIRA 13:2)
(Orel Province--Machinery industry)

SAKHNOVICH, I. A.:

Sakhnovich, I. A.:

"On the adaptation of non-self-joined operators to diagonal form." Min Higher Education Ukrainian SSR. Khar'kov Order of Labor Red Banner State U imeni imeni A. M. Gor'kiy. Odessa, 1956. (Dissertation for the Degree of Candidate in Physicomathematical Science.)

Anizhnava letopis'
No 34, 1956. Moscow.

SAKHNOVICH, L.A.

Limit values of multiplication integrals. Usp.mat.nauk 12
no.3:205-210 My-Je '57. (MIRA 10:10)
(Integrals)

PA - 2893

AUTHOR:
TITLE:

SAKHNOVICH, L.A.

The Reduction of VOLTERRA Operators to the most Simple Form,
and the Inverse Problems.

PERIODICAL:

(O Privedenii vol'terrovskikh operatorov k prosteyshemu vidu i
obratnykh zadachakh, Russian)
Izvestia Akad. Nauk SSSR, Ser. Mat., 1957, Vol 21, Nr 2,
pp 235 - 262 (U.S.S.R.)
Received: 5 / 1957

Reviewed: 6 / 1957

ABSTRACT:

M.S. LIFSHITS (Matem. sborn., 36 (76):1 (1954), 145 - 199) showed
that every operator of the class I , the spectrum of which is
concentrated at a single point $\Omega = 0$, can be reduced to the
"triangular shape" $Af = i \int_0^x f(t) B(t) Idt B(x)$ ($0 \leq x \leq 1$) by means
of a unitary transformation. Here $f(x) \in L^2_r[0,1]$ applies. The
matrix $B(t)$ is non-negative and $Sp B^2(x) = 1$ applies. I is a
diagonal matrix in the diagonal of which only $+1$ or -1 occur.

The present paper investigates the further simplification of the
operator given above by means of linear (not necessarily unitary)
transformations. In the case of some additional restrictions
of the matrix $B^2(x)I$ it is stated that the operator A is linearly
equivalent to the operator $I^{(m)}$. $I^{(m)}$ is defined here as follows:

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PA - 2893

The Reduction of VOLTERRA Operators to the most Simple Form,
and the Inverse Problems.

$$I^{(m)}\varphi = \left[i \int_0^x \varphi_1(t) dt, \dots, i \int_0^x \varphi_m(t) dt, 0, 0, \dots \right], x \in [0, b].$$

The operator $I^{(m)}$ represents the direct sum of the most simple integration operators. In particular, a result for the integral VOLTERRA operators is given.

As an application of the results obtained the present work proves some uniqueness theorems for the inverse problems which are connected with the following systems of differential equations:

The following systems may easily be reduced to the form just given:

$$\begin{cases} \frac{d\xi_1}{dt} = -\lambda [b(t)\xi_1 + a(t)\xi_2] \\ \frac{d\xi_2}{dt} = -\lambda [a(t)\xi_1 + b(t)\xi_2] \end{cases} \begin{cases} \frac{d\varphi}{dx} = -\lambda \varphi + a(x)\varphi + b(x)\varphi \\ \frac{d\psi}{dx} = -\lambda \varphi + b(x)\varphi - a(x)\varphi \end{cases}$$

The following operators are investigated in detail:

$$Af = i \int_0^x f(t)B(t)IdtB(x) \quad (0 \leq x \leq 1)$$

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The Reduction of VOLTERRA Operators to the most Simple Form
and the Inverse Problem.

$$Kf = i \int_0^x f(y) K(x, y) dy, \quad f(y) \in L^2[0, 1]$$

$$Af = i \int_0^x f(t) B^2(t) Idt B(x), \quad Af = i \int_0^x f(t) B(t) Idt B(x), \quad (0 \leq x \leq 1)$$

ASSOCIATION: Not given
PRESENTED BY: S.L.SOBOL'EV, Member of the Academy.
SUBMITTED: 2.4.1956
AVAILABLE: Library of Congress.

Card 3/3

Sakhnovich, L.A.

20-3-10/59

AUTHOR: Sakhnovich, L.A.

TITLE: On the Reduction of Non-Selfadjointed Operators to the Diagonal Form (O privedenii nesamosopryazhennykh operatorov k diagonal' nomy vidu)

PERIODICAL: Doklady Akademii Nauk SSSR, 1957, Vol. 115, Nr 3, pp. 462-465 (USSR)

ABSTRACT: At first reference is made to relevant preliminary works. The present paper examines the non-selfadjointed operators A of the class $i\Omega$ with a continuous spectrum. The operator A defined in the Hilbert (Gilbert) space H belongs to class $i\Omega$ when its imaginary part $(A - A^*)/2i$ is a totally continuous operator with a converging sum of the moduli of the eigennumbers. The author determines the sufficient conditions under which the operator A can be brought to the diagonal form. The thus obtained results are then used for the investigation of the behavior of $\|\psi(t)\|$ when $t \rightarrow \infty$. In this connection $\psi(t)$ signifies the solution of the Schroedinger (Shredinger) equation $i\hbar \frac{\partial \psi(t)}{\partial t} = A \psi(t)$, $\psi(0) = \psi_0$ ($\psi_0 \in H$). The

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On the Reduction of Non-Selfadjointed Operators to the
Diagonal Form

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problem of reducibility of the operator $A (A \in i\Omega)$ to the diagonal form can be solved when another here-discussed operator A_1 can be brought to this form. The following cases are more closely examined here: The rank of non-hermitianity of the operator A_2 is equal to 1. The operator A be assumed in a certain space H . The results obtained here are then used for the proof of a theorem of uniqueness for systems of differential equations. The Schroedinger (Shredinger) equation $i \hbar \partial \psi(t) / \partial t = A \psi$, $\psi(0) = \psi_0$ ($\psi_0 \in H$) and the equation $(\partial^2 \psi / \partial t^2) + A \psi = 0$, $\psi(0) = \psi_0$, $\frac{\partial \psi}{\partial t} \Big|_{t=0} = \psi_1$ ($\psi_0, \psi_1 \in H$) are investigated. In the latter case A is an operator of the class $i\Omega$ with a continuous spectrum. The present paper contains altogether 6 theorems. There are 6 references, 5 of which are Slavic.

ASSOCIATION: Pedagogical Institute imeni K.D.Ushinskiy in Odessa (Odesskiy pedagogicheskiy institut imeni K.D. Ushinskogo)
PRESENTED: February 28, 1957, by M.V.Keldysh, Academician
SUBMITTED: January 10, 1957
AVAILABLE: Library of Congress

Card 2/2

S A K H N O V I C H, L. A.

20-4-9/60

AUTHOR: Sakhnovich, L.A.

TITLE: The Spectral Analysis of Volterra-Operators and Some Inverse Problems (Spektral'nyy analiz vol'terrovskikh operatorov i obratnyye zadachi)

PERIODICAL: Doklady Akademii Nauk SSSR, 1957, Vol. 115, Nr 4, pp. 666-669 (USSR)

ABSTRACT: According to data obtained by V.A. Marchenko (Tr. Mosk. Matem. Obshch., 1952, Vol. 1, p. 327) the operator K is equivalent to the operator of the iterated integration

$J^2 f = \int_0^x f(\xi)(x - \xi) d\xi$, $f(\xi) \in L^2[0, 1]$. The present paper determines sufficient conditions under which the Volterra operator (which must not necessarily be produced by a differential equation) is linearly equivalent to the above-mentioned operator of the iterated integration. The data obtained here are then used for the proof of the uniqueness theorems for systems of differential equations. The author investigates the Volterra operator $Kf = \int_0^x f(t) K(x, t) dt$ $f(x) \in L^2[0, 1]$. Moreover $K(x, y)$ shall satisfy the following conditions: Limited differentials exist:

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The Spectral Analysis of Volterra-Operators and Some Inverse Problems

$$1.) \frac{\partial^{j+k}}{\partial x^j \partial t^k} K(x,t) \quad (j,k = 0,1,2); \quad \frac{d}{dx} \left[\frac{\partial^2}{\partial x^2} K(x,t) \right]_{t=x}$$

$$2.) K(x,x) \equiv 0; \quad 3.) \left| \frac{\partial}{\partial x} K(x,t) \right|_{t=x} > 0. \text{ Without limita-}$$

tion of the universality it may be assumed here that

$\frac{\partial}{\partial x} K(x,t) \Big|_{t=x} \equiv 1$ is valid. Theorem: When the nucleus

$K(x,t)$ of the operator K satisfies the above-mentioned condi-
tions, the operator K is linearly equivalent to the operator
 J^2 of the iterated integration

$J^2 f = \int_0^x f(t)(x-t)dt, f(t) \in L^2 [0,1]$. This theorem also
applies, when the operator K is assumed in the space $L^2_m [0,1]$
and when $K(x,t)$ is a matrix-function. Then the author investi-
gates the system of the differential equations

$dW/dx \equiv i \lambda W \beta^2(x) J, W(0, \lambda) \equiv I (0 \leq x \leq 1)$. In this connec-
tion $\beta^2(x)$ is a hermetically-nonnegative matrix of finite or
infinite order r . J is a diagonal matrix in whose diagonal
stand either $+1$ or -1 . Finally a theorem on the unique de-
finition of the system of the differential equations by the
matrix $W(1, \lambda)$ is given. There are 3 Slavic references.

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SOV/42-13-4-7/11

AUTHOR: Sakhnovich, L.A.

TITLE: The Reduction to Diagonal Form of a Non-Selfadjoint Operator With a Continuous Spectrum (Privedeniye odnogo nesamosopryazhennogo operatora s nepreryvnym spektrom k diagonal'nomu vidu)

PERIODICAL: Uspekhi matematicheskikh nauk, 1958, Vol 13, Nr 4, pp 193-196 (USSR)

ABSTRACT: Let $Bf = \varphi$

$$\varphi(t) = \frac{1}{\Gamma(i+1)} \frac{d}{dt} \int_0^t f(x)(t-x)^i dx, \quad 0 \leq t \leq 1$$

be an integration operator in the $L^2[0,1]$ and let

$$Af = xf(x) + i \int_0^x f(t)dt, \quad 0 \leq x \leq 1.$$

Theorem: 1) B is bounded.
2) B has the bounded inverse operator B^{-1}

$$f(x) = B^{-1}\varphi(t) = \frac{1}{\Gamma(-i+1)} \frac{d}{dx} \int_0^x \varphi(t)(x-t)^{-i} dt \quad 0 \leq x \leq 1.$$

3) The operator B reduces the operator A to the diagonal

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The Reduction to Diagonal Form of a Non-Selfadjoint Operator SOV/42-13-4-7/11
With a Continuous Spectrum

form, i.e. it is

$$BAB^{-1} = Q.$$

(Q is the operator of multiplication with the independent variable in the $L^2[0,1]$).

In a certain sense, the paper is a completion of the investigations of Livshitz [Ref 1] on non-selfadjoint operators.

There are 2 references, 1 of which is Soviet, and 1 English.

SUBMITTED: November 18, 1955

Card 2/2

AUTHOR: Sakhnovich, L.A.

38-22-2-7/8

TITLE: Spectral Analysis of the Operators of the Form

$$Kf = \int_0^x f(t)k(x-t)dt \quad (\text{Spektral'nyy analiz operatorov vida})$$

$$Kf = \int_0^x f(t)k(x-t)dt$$

PERIODICAL: Izvestiya Akademii nauk SSSR, Seriya Matematicheskaya, 1958, Vol. 22, Nr 2, pp 299-308 (USSR)

ABSTRACT: The operators K and K_1 operating in $L^2[0,1]$ are called linearly equivalent, if it exists a bounded operator V so that 1.) V^{-1} exists and is bounded, 2.) $VKV^{-1} = K_1$.

Theorem 1: If the kernel $k(x,t)$ of the operator

$$Kf = i \int_0^x f(t)k(x,t)dt, \quad f(t) \in L^2[0,1]$$

possesses a bounded mixed derivative $\frac{d^2}{dt dx} k(x,t)$ and if it

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Spectral Analysis of the Operators of the Form

38-22-2-7/8

$$Kf = \int_0^x f(t)k(x-t)dt$$

is $k(x,x) \equiv 1$, then K is linearly equivalent to the operator

$$i I f = i \int_0^x f(t)dt \quad .$$

Theorem 2: Let $k^{(n)}(t)$ ($0 \leq t \leq 1$) be bounded, $k(0) = k'(0) = \dots = k^{(n-2)}(0) = 0$; $k^{(n-1)}(0) = \alpha$ ($\alpha \neq 0$). Then it exists an operator

$$H f = \int_0^x f(t)h(x-t)dt \quad f(t) \in L^2 [0,1]$$

so that $H^n = K$, where $h(0) = \beta$ ($\beta^n = \alpha$) and $h'(t)$ is bounded.

Theorem 3: If the kernel $k(x)$ satisfies the conditions of theorem 2, and if furthermore $k^{(n+1)}(t)$ ($0 \leq t \leq 1$) is bounded, then the operator

$$Kf = \int_0^x f(t)k(x-t)dt, \quad 0 \leq x \leq 1$$

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Spectral Analysis of the Operators of the Form

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$$Kf = \int_0^x f(t)k(x-t)dt$$

is linearly equivalent to the operator $\mathcal{A}I^n f =$

$$= \mathcal{A} \int_0^x f(t) \frac{(x-t)^{(n-1)}}{(n-1)!} dt, \quad 0 \leq x \leq 1.$$

Theorem 4 : If $k(x)$ satisfies the conditions of theorem 3 and if the operators

$$H_1 f = \int_0^x f(t) H_1(x,t) dt, \quad H_2 f = \int_0^x f(t) H_2(x,t) dt$$

$$\left(\int_0^1 \int_0^1 |H_k(x,t)|^2 dx dt < \infty, \quad k = 1, 2 \right)$$

are the n -th roots of the operator K , then it is

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Spectral Analysis of the Operators of the Form

38-22-2-7/8

$$Kf = \int_0^x f(t)k(x-t)dt$$

$H_1 = \xi H_2$ ($\xi^n = 1$). There are 2 references, 1 of which is Soviet, and 1 English.

PRESENTED: by S.L. Sobolev, Academician

SUBMITTED: November 17, 1956

AVAILABLE: Library of Congress

1. **Mathematics—Theory**

Card 4/4

AUTHOR: Sakhnovich, L.A. (Odessa) 39-44-4-4/5
TITLE: Reduction of Non-Selfadjoint Operators With Continuous Spectrum
to Diagonal Form (Privedeniye nesamosopryazhennykh operatorov
s nepreryvnyim spektrom k diagonal'nomu vidu)
PERIODICAL: Matematicheskiy Sbornik, 1958, Vol 44, Nr 4, pp 509-548 (USSR)
ABSTRACT: The paper consists of three chapters, the first and second of
which are devoted to the theory and the third to the
examples. The results were already announced by the author
without proof two years ago [Ref 8] . There are 11 references,
7 of which are Soviet, 1 German, 2 American, and 1 English.
SUBMITTED: November 17, 1956

Card 1/1

AUTHOR: Sakhnovich, L.A. (Izmail)

SOV/39-46-1-3/6

TITLE: The Inverse Problem for Differential Operators of Order $n > 2$ With Analytic Coefficients (Obratnaya zadacha dlya differentsial'nykh operatorov poryadka $n > 2$ s analiticheskimi koefitsiyentami)

PERIODICAL: Matematicheskiy sbornik, 1958, Vol 46, Nr 1, pp 61-76 (USSR)

ABSTRACT: Let $y(x, \lambda)$ be a solution of the equation

$$\frac{d^n y}{dx^n} + q(x)y - \lambda^n y = 0, \quad y(0, \lambda) = 1, \quad \left. \frac{d^k y}{dx^k} \right|_{x=0} = 0 \quad (k = 1, 2, \dots, n-1),$$

and $\omega(x, \lambda)$ the solution of

$$\frac{d^n \omega}{dx^n} - \lambda^n \omega = 0, \quad \omega(0, \lambda) = 1, \quad \left. \frac{d^k \omega}{dx^k} \right|_{x=0} = 0 \quad (k = 1, 2, \dots, n-1).$$

The main contents of the paper is the simple formula :

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The Inverse Problem for Differential Operators of
Order $n > 2$ With Analytic Coefficients

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$$(1) \quad y(x, \lambda) = \omega(x, \lambda) + \int_0^x \omega(t, \lambda) K(x, t) dt$$

where $K(x, t)$ is the solution of a certain Cauchy problem. It is shown that for entire functions $q(x)$ the function $K(x, t)$ is analytic. It is mentioned and is said to be shown in a later paper that it is sufficient that $q(x)$ be analytic in a circle of sufficiently large finite radius. The formula (1) is used in order to prove the following theorems: Theorem 1:

Let the Volterra-operator $g(x) = V\varphi = \int_0^x \varphi(t) V(x, t) dt$, $0 \leq x \leq 1$

be generated by the differential operator

$$\frac{d^n g}{dx^n} + q(x)g = \varphi; \quad \frac{d^k}{dx^k} g \Big|_{x=0} = 0 \quad (k = 0, 1, \dots, n-1)$$

If $q(x)$ is an entire function, then V linearly is equivalent to the operator

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The Inverse Problem for Differential Operators of
Order $n > 2$ With Analytic Coefficients

SOV/39-46-1-3/6

$$I^n \varphi = \int_0^x \varphi(t) \frac{(x-t)^{n-1}}{(n-1)!} dt, \quad 0 \leq x \leq 1$$

Theorem 2 : Let $y_i(x, \lambda)$ be a solution of

$$\frac{d^n y_i}{dx^n} - q_i(x) y_i - \lambda^n y_i = 0, \quad y_i(0, \lambda) = 1, \quad \left. \frac{d^k}{dx^k} y_i(x, \lambda) \right|_{x=0} = 0$$

($k=1, 2, \dots, n-1$)

and the $q_i(x)$ are assumed to be entire functions; $i = 1, 2$.

Furthermore let $\int_0^1 y_1(x, \lambda) y_1(x, \mu) dx = \int_0^1 y_2(x, \lambda) y_2(x, \mu) dx$.

Then it is $q_1(x) \equiv q_2(x)$.

There are 8 references, 7 of which are Soviet, and 1 German.

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The Inverse Problem for Differential Operators of
Order $n > 2$ With Analytic Coefficients

SOV/39-46-1-3/6

SUBMITTED: March 21, 1957

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16(1)

SOV/140-59-1-18/25

AUTHOR:

Sakhnovich, L.A.

TITLE:

On the Reduction of Non-Selfadjoint Operators to the Triangular Form (O privedenii nesamosopryazhennykh operatorov k treugol'noy formе)

PERIODICAL:

Izvestiya vysshikh uchebnykh zavedeniy. Matematika, 1959, Nr 1, pp 180-186 (USSR)

ABSTRACT:

Let A be a bounded operator in the Hilbert space H . The maximal subspace which is invariant with respect to A and A^* and where $AA^* = A^*A$ is, called the additional component. Let the operator A belong to the class T if to two arbitrary invariant subspaces H_1 and H_2 ($H_1 \subset H_2$, $\dim(H_2/H_1) > 1$) there always exists a third subspace H_3 invariant with respect to A so that $H_1 \subset H_3 \subset H_2$ and $H_1 \neq H_3 \neq H_2$. The operator $\vec{A}$ is called triangular if it can be defined by

$$\vec{A}f = \frac{d}{dx} \int_0^x f(t)K(x,t)dt, \quad 0 \leq x \leq 1,$$

$$\text{where } f(t) = [f_1(t), \dots, f_m(t)], \quad (m \leq \infty), \quad \|f\|^2 = \sum_{k=1}^m \int_0^1 |f_k(t)|^2 dt$$

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On the Reduction of Non-Selfadjoint Operators
to the Triangular Form

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and $K(x, t)$ is a matrix function of m -th order.

Theorem: To every $A \in T$ there exists an $\tilde{A}$ and a unitary transformation with the properties: a) U maps biuniquely the space HOD_A onto the space $HOD_{\tilde{A}}$ ($D_A, D_{\tilde{A}}$ are additional components of the operators A and $\tilde{A}$); b) for this mapping the operator A defined on HOD_A goes over in the operator $\tilde{A} = UAU^{-1}$ defined on $HOD_{\tilde{A}}$.

For the proof the author uses some notions of M.S. Livshits [Ref 1].

There are 4 references, 2 of which are Soviet, 1 American, and 1 Swedish.

ASSOCIATION: Odesskiy institut pishchevov i kholodil'noy promyshlennosti
(Odessa Institute of Food and Refrigeration
Industry)

SUBMITTED: December 6, 1957

Card 2/2

16(1)

AUTHOR: Sakhnovich, L.A.

SOV/ 140-59-4-18/26

TITLE: ~~The Investigation of the "Triangular Model" of Non-Self-adjoint Operators~~

PERIODICAL: Izvestiya vysshikh uchebnykh zavedeniy. Matematika, 1959, Nr 4, pp 141 - 149 (USSR)

ABSTRACT: The author considers the operators

$$(2) \quad A = H + i B ,$$

where H is a self-adjoint operator and B a self-adjoint operator of Hilbert-Schmidt. The author shows that all the operators (2) belong to the class T (see author [Ref 1]) and that their "triangular model" has the form

$$\vec{A} \varphi = \varphi(x)H(x) + \int_0^x \varphi(t)N(x,t)dt ,$$

where $H(x) = H^*(x)$, $N(x,t)$ matrix with elements

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The Investigation of the "Triangular Model"
of Non-Selfadjoint Operators

SOV/140-59-4-18/26

$n_{ij}(x, t)$ and

$$\sum_{i,j=1}^m \int_0^1 \int_0^1 |n_{ij}(x, t)|^2 dx dt < \infty .$$

Altogether there are 3 theorems and several conclusions.

V.B. Lidskiy is mentioned in the paper.

There are 6 references, 3 of which are Soviet, 1 Swedish,
1 American, and 1 German.

ASSOCIATION: Odesskiy institut pishchevoy i kholodil'noy promyshlennosti
(Odessa Institute of Food and Refrigeration Industry)

SUBMITTED: May 17, 1958

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16(1)

AUTHOR: Sakhnovich, L. A.

SOV/41-11-3-6/16

TITLE: Limiting Values of a Multiplicative Integral

PERIODICAL: Ukrainskiy matematicheskiy zhurnal, 1959, Vol 11, Nr 3, pp 275-286 (USSR)

ABSTRACT:

$$\text{Let } W(\lambda) = \int_a^b e^{\int_a^t \beta^2(s) ds} \frac{dE(t)I}{t-\lambda} = \int_a^b e^{\int_a^t \beta^2(s) ds} dt, \text{ where } E(t) = \int_a^t \beta^2(s) ds;$$

$\beta^2(s)$ is a Hermitean non-negative matrix function; I is a diagonal matrix the diagonal of which consists of +1 and -1. The symbol

$$\int_a^b e^{\int_a^t \beta^2(s) ds} \frac{dE(t)I}{t-\lambda} = \lim_{\max \Delta t_j \rightarrow 0} \left[e^{\int_0^{t_0} \beta^2(s) ds} \frac{\Delta E(t_0)I}{t_0-\lambda} \dots e^{\int_{t_{n-1}}^{t_n} \beta^2(s) ds} \frac{\Delta E(t_n)I}{t_n-\lambda} \right]$$

($a = t_0 \leq \xi_0 \leq \dots \leq t_n = b$) denotes the so-called multiplicative integral:

Let the matrix $\beta^2(t)I$ satisfy the following conditions: 1. There exists a matrix $U(t)$ so that $\beta^2(t)I = UH(t)U^{-1}$, where $H(t)$ is a

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Limiting Values of a Multiplicative Integral

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selfadjoint matrix; 2. $\sup \{ \|U(t)\|, \|U(t)^{-1}\|, \text{Sp } \dot{U}^2(t) \} \leq M$;
3. There exists a K so that for arbitrary $t_1, t_2 \in [a, b]$ it holds
 $\|U(t_1) - U(t_2)\| \leq K|t_1 - t_2|$.

Theorem: Under the above assumptions for almost all σ there exist the limit values

$$(1) \lim_{\varepsilon \rightarrow +0} W(\sigma + i\varepsilon) = W^+(\sigma), \quad \lim_{\varepsilon \rightarrow +0} W(\sigma - i\varepsilon) = W^-(\sigma),$$

namely in the sense of strong convergence it holds

$$W^+(\sigma) = \lim_{\varepsilon \rightarrow +0} \left[\int_a^{\sigma-\varepsilon} e^{i \frac{dE(t)I}{t-\sigma}} e^{-\pi \dot{U}^2(\sigma)I} \int_{\sigma+\varepsilon}^b e^{i \frac{dE(t)I}{t-\sigma}} \right],$$

$$W^-(\sigma) = \lim_{\varepsilon \rightarrow +0} \left[\int_a^{\sigma-\varepsilon} e^{i \frac{dE(t)I}{t-\sigma}} e^{\pi \dot{U}^2(\sigma)I} \int_{\sigma+\varepsilon}^b e^{i \frac{dE(t)I}{t-\sigma}} \right].$$

The author mentions V.P. Potapov.
There are 3 Soviet references.

SUBMITTED: May 25, 1957
Card 2/2

SAKHNOVICH, I. A., Doc Phys-Math Sci - (diss) "Spectral analysis of non-selfadjoint, completely continuous operators with a unique spectrum point." Khar'kov, 1960. 14 pp; (Ministry of Higher and Secondary Specialist Education Ukrainian SSR; Khar'kov Order of Labor, Red Banner State Univ im A. M. Gor'kiy); 150 copies; free; bibliography at end of text (21 entries); (KL, 19-60, 129)

29832

S/042/61/016/005/004/005
C111/C444

16.3400

AUTHOR: Sakhnovich, L. A.

TITLE: Necessary conditions for the existence of a transformation operator for equations of fourth order

PERIODICAL: Uspekhi matematicheskikh nauk, v. 16 no. 5, 1961, 199 - 204

TEXT: The author proved in (Ref 1: Ob obratnykh zadachakh dlya wravneniy vysshikh poryadkov $n > 2$ s analiticheskimi koeffitsiyentami [On inversion problems for equations of higher order $n > 2$ with analytic coefficients], Matem, sb. 46 (88): 1(1958), 61 - 76) the existence of an operator, transforming the solution of

$$\frac{d^n y}{dx^n} + q_{n-2}(x) \frac{d^{n-2} y}{dx^{n-2}} + \dots + q_0(x) y - \lambda y = 0$$

into the solution of

$$\frac{d^n \omega}{dx^n} - \lambda \omega = 0.$$

The coefficients $q_i(x)$ were supposed to be analytic.

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Necessary conditions for the existence... ²⁹⁸³²
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C111/C444

Now it is shown that the supposition of analicity turns out to be necessary.

Theorem: Given is the differential equation

$$\frac{d^4 y}{dx^4} + \frac{d}{dx} \left[p(x) \frac{dy}{dx} \right] + q(x)y - \lambda y = 0, \quad 0 \leq x \leq 1, \quad (1)$$

It be known that its non-trivial solution has the representation

$$y(x, \lambda) = \omega(x, \lambda) + \int_0^x \omega(t, \lambda) K(x, t) dt, \quad (2)$$

where every fourth order derivative of the kernel $K(x, t)$ is continuous and $\omega(t, \lambda)$ is the solution of

$$\frac{d^4 \omega}{dx^4} - \lambda \omega = 0, \quad \omega^{(k)}(0, \lambda) = \alpha_k \quad (k = 0, 1, 2, 3). \quad (3)$$

If $p(x)$ on $0 \leq x \leq 1$ is infinitely often differentiable, the the same
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Necessary conditions for the existence... C111/C444

holds for $q(x)$.

The author mentions V. I. Matsayev.

There are 2 figures, 2 Soviet-bloc and 1 non-Soviet-bloc reference .

SUBMITTED: February 2, 1960

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X

11.3400

31908
S/039/61/055/003/004/004
D299/D304

AUTHOR: Sakhnovich, L.A. (Odessa)

TITLE: Method of the transformation operator applied to the equations of higher order

PERIODICAL: Matematicheskiy sbornik, v. 55, no. 3, 1961, 347-360

TEXT: The possible use of the method for equations higher than second-order is ascertained; a method of solution is proposed for the reciprocal problem. A substantial difference is noted between the use of the method for second order and for higher-order equations respectively. A local solution to reciprocal problem is given. Differential operators of type

$$lg = (-1)^n \frac{d^{2n}g}{dx^{2n}} + (-1)^{n-1} \frac{d^{n-1}}{dx^{n-1}} [p_1(x) \frac{d^{n-1}g}{dx^{n-1}}] + \dots + p_n(x)g, \quad (1)$$

$$0 \leq x < \infty$$

are considered; the functions $p(x)$ are real, differentiable func-
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D299/D304

Method of the transformation ...

tions. The operator l is given on a set of functions which satisfy the linearly independent boundary conditions

$$U_j g = \sum_{k=1}^{2n} \alpha_{j,k} g^{[k-1]}(0) = 0 \quad (j = 1, 2, \dots, n) \quad (2)$$

where g denotes quasiderivatives, $\alpha_{j,k}$ are real numbers. If the function $\varphi(x, \lambda)$ satisfies certain conditions, then it is called the generalized eigenfunction of the boundary value problem (1)(2). Two boundary-value problems are called equivalent, if an operator of type

$$(I + K)f = f(x) + \int_0^x f(t)K(x, t)dt \quad (4)$$

exists, transforming the generalized eigenfunctions of one boundary value problem into generalized eigenfunctions of the other boundary value problem. To the n linearly independent eigenfunctions

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Method of the transformation ...

$$\varphi_k(x, \lambda), \varphi_k^{(r)}(x, \lambda) \Big|_{x=0} = \gamma_{rk}, \quad \gamma_{rk} = \bar{\gamma}_{rk}, \quad 1 \leq k \leq n, \quad 0 \leq r \leq 2n-1,$$

there corresponds a real spectral matrix-function, called the spectral matrix-function of the boundary-value problem (1) (2). Assume a non-decreasing n -th order real matrix-function $\sigma(\lambda)$ ($-\infty < \lambda < \infty$) as given. It is required to determine whether a boundary value problem (1) (2) exists, whose spectral matrix is $\sigma(\lambda)$ and, if this is the case, to give a method for constructing this boundary-value problem, proceeding from the matrix $\sigma(\lambda)$. The problem thus formulated is solved by assuming that the given $\sigma(\lambda)$ differs little from some matrix-function $\sigma_0(\lambda)$ of a pre-determined boundary value problem of type (1) (2). A method is given for passing from the boundary value problem corresponding to $\sigma_0(\lambda)$, to that corresponding to $\sigma(\lambda)$. Hence the solution of the reciprocal problem (construction of differential operator and boundary conditions from a known spectral matrix-function) involves two steps: 1) Choice of appropriate spectral matrix $\sigma_0(\lambda)$, corresponding to the given operator l_0 and the given bounda-

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D299/D304

Method of the transformation ...

ry conditions V_j . 2) Construction of the operator l and of the boundary conditions U_j , corresponding to the spectral matrix $\sigma(\lambda)$. For second-order equations, the first step presents no difficulties, whereas for higher-order equations, the choice of $\sigma_0(\lambda)$ is much more complicated. In fact, such a choice is no longer possible for fourth-order equations already. The second step is practically similar for both second- and higher-order equations. Further, certain necessary conditions are obtained which should be satisfied by the spectral matrix-function of the boundary value problem under consideration. These conditions are stated in the form of 2 theorems. Finally, examples are given of non-equivalent boundary value problems. Thereby, it is proved that for fourth-order equations no finite set of boundary value problems exists, to which all other boundary-value problems could be reduced by means of the transformation operator. There are 5 Soviet-bloc references.

SUBMITTED: February 2, 1960

Card 4/4

16.3400

33857
S/039/62/056/002/001/003
B112/B108

AUTHOR: Sakhnovich, L. A. (Odessa)

TITLE: Inverse problem for fourth-order equations

PERIODICAL: Matematicheskiiy sbornik, v. 56 (98), no. 2, 1962, 137-146

TEXT: It is demonstrated that boundary value problems of the form

$$d^4g/dx^4 - d(2p(x)dg/dx)/dx + (p^2(x) - p''(x))g - \lambda g = 0,$$

$$\beta_{11}g(0) + \beta_{12}g'(0) + g''(0) = 0, \beta_{21}g(0) + \beta_{22}g'(0) + g'''(0) = 0$$

constitute a class of equivalence. Two boundary value problems are said

to be equivalent if there is an operator of the form $f(x) + \int_0^x f(t)K(x,t)dt$,

which transforms the generalized eigenfunctions of one problem into the eigenfunctions of the other problem. There are 3 Soviet references.

SUBMITTED: March 11, 1960

Card 1/1

16 3500 16 4600
AUTHOR: Sakhnovich, L.A.

31743
S/020/62/142/003/008/027
C111/C333

TITLE: Discrete spectrum of Schrödinger's radial equation

PERIODICAL: Akademiya nauk SSSR. Doklady, v. 142, no. 3, 1962, 550-553

TEXT: The author considers the Schrödinger equation

$$-\frac{\partial^2 u}{\partial x^2} + \left[\frac{\mu(\mu-1)}{x^2} - 2q(x) \right] u - \lambda u = 0 \quad (1)$$

$$u(0) = 0, \quad 0 \leq x < \infty, \quad \mu > 1,$$

where $q(x)$ is continuous for $x > 0$ and moreover

$$q(x) = \begin{cases} \frac{B}{x} + O(1), & 0 \leq x \leq x_0 \\ \frac{A_1}{x} + \frac{A_2}{x^2} + O\left(\frac{1}{x^3}\right), & x \geq x_0 \end{cases} \quad (2)$$

with $A_1 > 0$. The author investigates the behavior of the smallest eigen-
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Discrete spectrum of Schrödinger's ... S/020/62/142/003/008/027
C111/333

number $\varphi(\mu)$ of (1) and of the corresponding eigenfunction $u(x, \mu)$ which he denotes as the minimum function of (1) and as the minimizing eigenfunction respectively.

Theorem 1 : The minimum function has the form

$$\varphi(\mu) = -\frac{A_1^2}{\mu^2} - \frac{4A_2A_1^2}{\mu^4} + O\left(\frac{1}{\mu^6}\right), \quad \mu > 1.$$

Theorem 2 : The minimizing eigenfunction $u(x, \mu)$ is

$$u(x, \mu) = x^\mu \left[1 + O\left(\frac{1}{\mu}\right) \right], \quad 0 \leq x \leq x_0$$

$$u(x, \mu) = x^\mu e^{-\frac{A_1}{\mu} x} \left[1 + O\left(\frac{1}{\mu^k}\right) \right],$$

where $0 < k < 1$, $x_0 \leq x \leq \mu^2$, and it is

$$u(x, \mu) = x^\mu e^{-\frac{A}{\mu} x} \left[1 + O\left(\frac{1}{\mu^{\frac{1-3k}{2}}}\right) \right],$$

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C111/C333

where $0 < k < \frac{1}{2}$, $\frac{3-k}{2} \leq x \leq \frac{2}{A_1} \left[1 + \frac{1}{\mu} \right]$ ($1 > 0$).

In the theorems 3 and 4 the author gives for the normed minimizing eigenfunction $\bar{u}(x, \mu)$, $\bar{u} = 1$ the estimations:

$$\left\| \bar{u}(x, \mu) - c(\mu_1) e^{-\frac{A_1}{\mu_1} x} \right\|^2 \leq O\left(\frac{1}{\mu^3}\right),$$

where

$$\mu_1 = \frac{1 + \sqrt{(2\mu - 1)^2 - 8A_1}}{2}, \quad c(\mu_1) = \left[\int_0^\infty x^{2\mu_1} e^{-\frac{2A_1}{\mu_1} x} dx \right]^{-\frac{1}{2}}.$$

and

$$\left\| u(x, \mu) - c(\mu) x^\mu e^{-\frac{A_1}{\mu} x} \right\|^2 \leq O\left(\frac{1}{\mu}\right),$$

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C111/C333

where

$$c(\mu) = \left[\int_0^{\infty} x^{2\mu} e^{-\frac{2A_1}{\mu}x} dx \right]^{-\frac{1}{2}}.$$

Theorem 5 : If $\gamma_1(\mu)$ and $\gamma_2(\mu)$ are minimum functions of two boundary value problems, where it holds

$$q_1(x) - q_2(x) = \frac{A_m}{x^m} + O\left(\frac{1}{x^{m+1}}\right), \quad x \geq x_0, \quad m > 1,$$

then

$$\varphi_1(\mu) = \varphi_2(\mu) - \frac{2A_m A_1^m}{\mu^{2m}} + O\left(\frac{1}{\mu^{2m+\frac{1}{2}}}\right).$$

Theorem 6 : If the potential $q(x)$ has the form

$$q(x) = \frac{A_1}{x} + \frac{A_2}{x^2} + \frac{A_3}{x^3} + O\left(\frac{1}{x^4}\right), \quad x \geq x_0,$$

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Discrete spectrum of Schrödinger's ... S/020/62/142/003/008/027
C111/C333

then it holds

$$\varphi(\mu) = -\frac{A_1^3}{\mu^3} - \frac{4A_2 A_1^2}{\mu^4} - \frac{4A_2^2 A_1^2 + 2A_3 A_1^3}{\mu^5} + O\left(\frac{1}{\mu^6}\right).$$

Theorem 7 : Let

$$\gamma_1(\mu) = \gamma_2(\mu) + O\left(\frac{1}{\mu^m}\right),$$

where $m = 1, 2, \dots$. If the corresponding potentials $q_1(x)$, $q_2(x)$ are analytic functions which are regular at infinity, then it holds

$$\gamma_1(\mu) = \gamma_2(\mu), \quad q_1(x) = q_2(x).$$

There are 2 Soviet-bloc references and 1 non-Soviet-bloc reference.

Card 5/6

Discrete spectrum of Schrödinger's ... S/020/62/142/003/008/027
C111/C333

The reference to English-language publication reads as follows : L.Schiff,
Kvantovaya mekhanika (Quantum mechanics), IL, 1959.

ASSOCIATION: Odesskiy institut pishchevoy i kholodil'noy promyshlennosti
(Odessa Institute of Food and Cold-Storage Building
Industry) X

PRESENTED: August 28, 1961, by A.N. Kolmogorov, Academician

SUBMITTED: July 1, 1961

Card 6/6

SAKHNOVICH, L. A. (Odessa)

On the discrete spectrum of a radial Schrodinger equation.
Mat. sbor. 58 no.4:377-396 D '62. (MIRA 16:1)

(Differential equations)

SAKHNOVICH, L.A.

A semi-inverse problem. Usp. mat. nauk 18 no.3:199-206 My-Je
'63. (MIRA 16:10)

SAKHNOVICH, L.A.

Certain properties of the discrete spectrum of Schrödinger's
radial equation. Dokl. AN SSSR 153 no.2:286-289 N '63.
(MIRA 16:12)

1. Odesskiy tekhnologicheskii institut pishchevoy i kholodil'noy
promyshlennosti. Predstavleno akademikom P.S.Novikovym.

SAKHNOVICH, L.A. (Odessa)

Spectrum analysis of Volterra operators given in the space of
the vector function $L_m^2[0, 1]$. Ukr. mat. zhur. 16 no.2:259-
268 '64. (MIRA 17:3)

L 41291-65 EWT(d) IJP(o)

ACCESSION NR: AP5000866

S/0038/64/028/006/1345/1362

AUTHOR: Sakhnovich, L. A.

5
B

TITLE: On the Spectrum of an Anharmonic Oscillator

SOURCE: AN SSSR. Izvestiya. Seriya matematicheskaya, v. 28, no. 6, 1964, 1345-1362

TOPIC TAGS: Oscillation theory, anharmonic oscillator, oscillator, mathematical physics, numerical method, asymptotic method

ABSTRACT: The author carries out a detailed investigation of the equation of motion of an anharmonic oscillator with a perturbation of the form

$$V(x) = V(-x) = \sum_{p=1}^{n-1} \frac{B_p}{x^p}, \quad x > 0.$$

Formulas applicable to numerical solution of the equation of motion of the oscillator are derived. Orig. art has: 54 equations.

Card 1/2

L 41291-65

ACCESSION NR: AP5000866

ASSOCIATION: none

SUBMITTED: 28Jan64

ENC: 00

SUB CODE: EC, MA

NO SOV REF: 001

OTHER: 001

me
Card 2/2

SAKHNOVICH, L.A. (Odessa)

Analytic properties of the discrete spectrum of Schrödinger's
equation. Mat. sbor. 64 no.2:185-204 Je '64.

(MIRA 17:9)

SAKHNOVICH, L.A. (Odessa)

Spectrum of ε radial Schrödinger equation near zero. Mat. sbor. 67
no.2:221-243 Je '65. (MIRA 18:8)

SAKHNOVICH, T.S.-M.

PHASE I BOOK EXPLOITATION: SOV/4893
Vsesoyuznoye soveshchaniye po fizike, fiziko-khimicheskim svoystvam ferritov i fizicheskim osnovam ikh primeneniya. 35, Minsk, 1955
Perity; fizicheskiye i fiziko-khimicheskiye svoystva. Doklady (Ferrites; Physical and Physico-Chemical Properties. Reports) Minsk, izd-vo AN BSSR, 1960. 855 p. Errata slip inserted. 4,000 copies printed.

Sponsoring Agencies: Nauchnyy sovet po magnetizmu AN SSSR. Otdel fiziki tverdogo tela i poluprovodnikov AN BSSR.

Editorial Board: Resp. Ed.: M. N. Sirota, Academician of the Academy of Sciences BSSR; K. P. Belov, Professor; Ye. I. Kondorskiy, Professor; K. M. Polivanov, Professor; R. V. Teisenin, Professor; O. A. Smolenskiy, Professor; N. N. Shol'ts, Candidate of Physical and Mathematical Sciences; Z. M. Smolyarenko; and L. A. Bashkurov; Ed. of Publishing House: S. Andriyavskiy; Tech. Ed.: I. Volokhanovich.

PURPOSE: This book is intended for physicists, physical chemists, radio electronics engineers, and technical personnel engaged in the production and use of ferromagnetic materials. It may also be used by students in advanced courses in radio electronics, physics, and physical chemistry.

COVERAGE: The book contains reports presented at the Third All-Union Conference on Ferrites held in Minsk, Belorussian SSR. The reports deal with general ferrite technology, electrical and salvomagnetic properties of ferrites, studies of the structure of ferrite single crystals, problems in the chemical and physicochemical analysis of ferrites, studies of ferrites having rectangular hysteresis loops and multicomponent ferrite systems exhibiting spontaneous rectangularity, problems in magnetic attraction, highly coercive ferrites, magnetic spectroscopy, ferromagnetic resonance, magneto-optics, physical principles of using ferrite components in electrical circuits, anisotropy of electrical and magnetic properties, etc. The Committee on Magnetism, AN USSR (S. V. Vonsovskiy, Chairman) organized the conference. References accompany individual articles.

Ferrites (Cont.)

Latsh, V. V., Ye. M. Sakhnovich, and B. Kh. Sosin. Decomposition of Manganese-Zinc Ferrite During Heat Treatment in an Oxidizing Atmosphere	170
Piskarev, K. A. Effect of Cooling Rate on the Magnetic Properties and Phase Composition of the System NiO-ZnO-Fe ₂ O ₃	174
Bashkurov, L. A., A. P. Palkin, and M. N. Sirota. Investigation of the Magnetic Properties of the Ternary System NiFe ₂ O ₄ -MgFe ₂ O ₄ -ZnFe ₂ O ₄	183
Kontorovich, L. I. Some Properties and Microstructure of Magnesium-Chromium Ferrites	196
Mirman, M. Z. Investigation of the Constant of the Magnetic Anisotropy of Polycrystalline Nickel and Magnesium Ferrites by a Method of Approaching Magnesium Saturation	199

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Card 4/18

SAKHOVSAN, A. I.

SAKHOVSAN, A. I.: "The prothrombin tests in the diagnosis of injuries to the liver in syphilis patients." State Sci Res Dermatological-Venereological Inst, Min Health RSFSR, Leningrad, 1956.

(Dissertation for Degree of Candidate in Medical Science).

SO: Knizhnaya letopis', No 23, 1956.

USSR.

✓ A physicochemical investigation of the system $\text{NH}_4\text{Br} \cdot \text{AlBr}_3 \cdot \text{C}_6\text{H}_5\text{NO}_2$ (electroconductivity, viscosity, and specific gravity). I. S. Blaisch and B. V. Sakhnovskaya. *J. Gen. Chem. U.S.S.R.* 23, 189-93 (1953) (Engl. translation); *Izv. Akad. Nauk SSSR, Ser. Khim.* 23, 185-90 (1953); cf. *C.A.* 46, 8405i. The electrocond., viscosity, and sp. gr. for the $\text{NH}_4\text{Br} \cdot \text{AlBr}_3$ complex in nitrobenzene were investigated at 20, 30, 40, and 50° for the concn. range 5.00 to 60.09% of complex. The specific electrocond. curves pass through a max. that disappears when the data are cor. for viscosity. The mol. electrocond. values increase with diln. and develop an abnormal character when cor. for viscosity. The curves were similar to those for the $\text{NH}_4\text{Br} \cdot \text{AlBr}_3$ complex in nitrobenzene (*C.A.* 44, 9229e). J. J. Casey

MA-61

SAKHNOVSKAYA, G. K.

USSR / Microbiology. Anaerobic Bacilli.

F-6

Abs Jour: Ref Zhur-Biol., No 16, 1958, 72200.

Author : Sakhnovskaya, G. K.

Inst : Not given.

Title : Comparative Study of Immunity of Native and Purified Aluminum Hydroxide Sorbed Tetanus Anatoxins in Experiment.

Orig Pub: V sb.; Anaerobnyye infektsii, Kiyev, Gosmedizdat USSR, 1957, 38-43.

Abstract: No abstract.

Card 1/1

75

SAKHNOVSKAYA, G. K.

USSR / Microbiology. Microbes Pathogenic for Man and Animals. Bacteria. Anaerobic Bacteria.

F

APPROVED FOR RELEASE: 09/19/2001 CIA-RDP86-00513R001446810010-6"

Abs Jour : Ref Zhur - Biologiya, No 6, 1959, No. 24084

Author : Chernaya, L. A.; Sakhnovskaya, G. K.

Inst : L'vov Scientific Research Institute of Epidemiology, Microbiology and Hygiene

Title : The Problem of Tetanus During Peace Time

Orig Pub : Sb. nauchn. rabot. L'vovsk. n.-i. in-t epidemiol., mikrobiol. i gigiyeny, 1957, vyp 2, 157-165

Abstract : On the basis of the material from four Western oblasts of the Ukrainian SSR for the last few years, it was shown that the mortality due to tetanus exceeds the mortality due to dysentery, scarlet fever, measles, and diphtheria; the lethality in tetanus is equal

Card 1/2

Country	: USSR	F
Category	: Microbiology-Antibiosis and Symbiosis. Antibiotics	
Abs. Jour	: Ref Zhur - Biol., 1957, 36015	
Author	: Shablovskaya, Ye.O.; Sakhnovskaya, G.K.	
Institut.	: -	
Title	: The Problem of the Effects of Microcide on Bacillus perfringens	
Orig. Pub.	: Mikrobiol. Zh., 1957, Vol.19, No.2, 32-42	
Abstract	: The antibiotic microcide acts bacteriostatically and bactericidally on Bacillus perfringens. Under strictly anaerobic conditions, microcide does not only act on B. perfringens but also on the staphylococcus of the aureus species, which is highly sensitive to it and the growth of which, under ordinary conditions, is suppressed by microcide in a concentration of 1:16,000. - L.S.Khaskin	
Card:	1/1	

SAKHOVSKAYA, G.K., Cand Biol Sci -- (diss) "Tetanus morbidity
and ^{soil fertility} ~~the plantability~~ of soils Bac. tetani in ~~the~~ western
^{the} regions of UkSSR." L'vov, 1959, 16 pp (Acad Med Sci USSR)
200 copies (KL, 34-59, 113)